

Tone mapping operators

Global

Local

- Photographic (Reinhard et al. 2002)

$$L_d(x, y) = \frac{L(x, y) \left(1 + \frac{L(x, y)}{L_{white}^2}\right)}{1 + L(x, y)}$$

- $L_{w(x, y)}$ is the average luminance of the scene.
- L_{white} is the smallest luminance that will be mapped to pure white.

- Filmic (John Hable 2010)

1. Compute "S"-like curve

$$f(x) = \frac{x(Ax + CB) + DE}{x(Ax + B) + DF} - \frac{E}{F}$$

A – F are adjustable coefficients for the curve.

2. Divide by compressed white point (W)

$$y = \frac{f(x)}{f(W)}$$

- Based on ACES (Krzysztof Narkowicz 2016)

Filmic curve sampled from ACES Output Transform.

Academy Color Encoding System (ACES) is a standard that provides color accurate workflow for the motion picture industry.

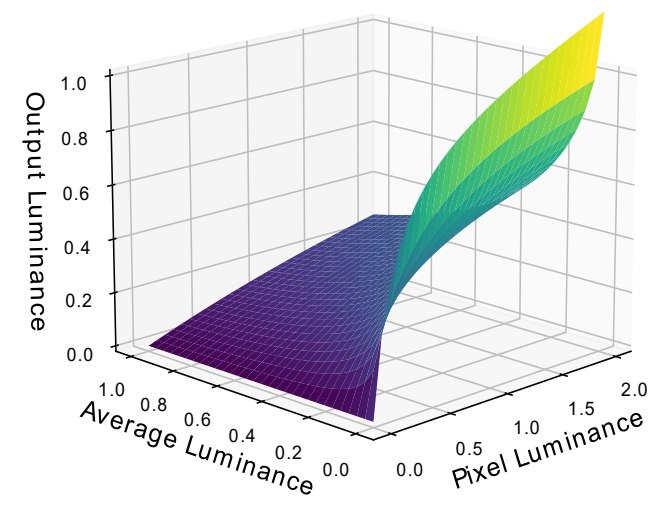


Figure 1: Graph of Reinhard photographic tone mapping operator.

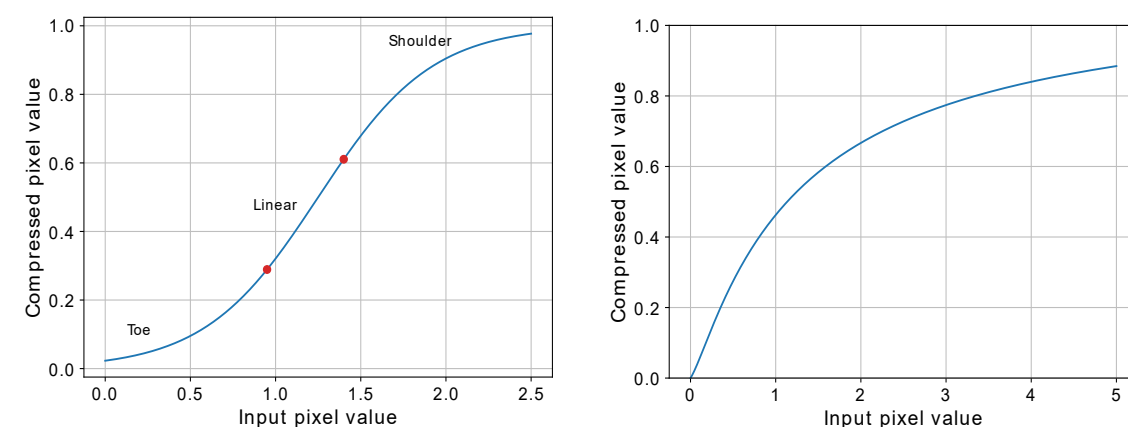


Figure 2: Filmic tone mapping curve (left) and John Hable's Uncharted 2 operator (right).

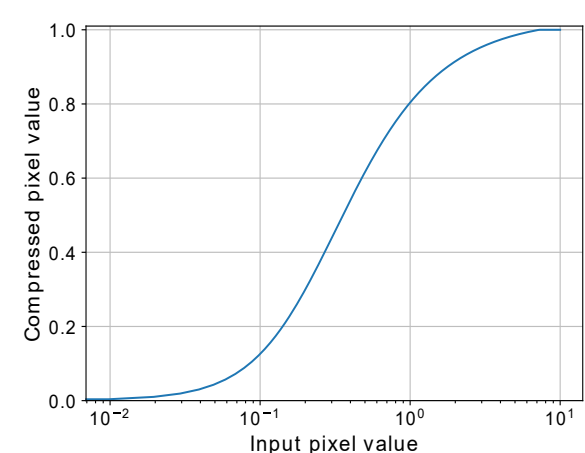


Figure 3: Filmic tone mapping operator based on ACES.

Eye adaptation

Exponential decay function:

$$L_{new} = L + (L_{avg} - L) \cdot (1 - e^{-\frac{t}{\tau}})$$

Luminance histogram:

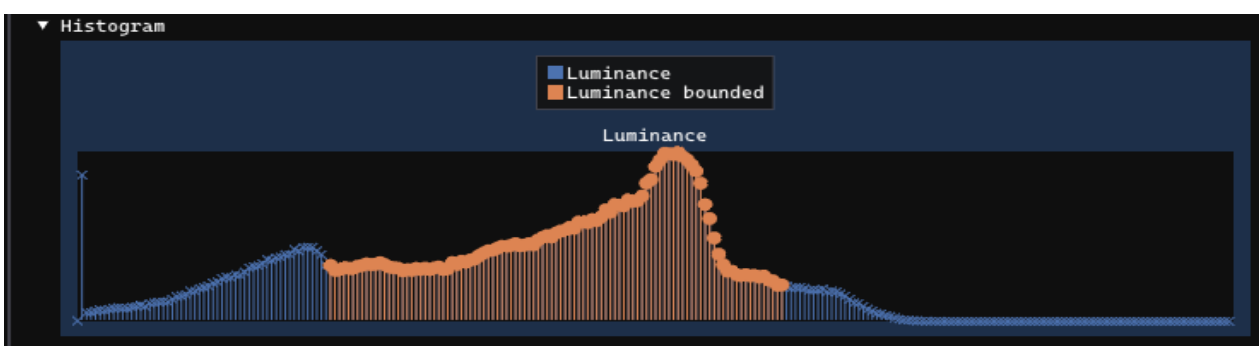


Figure 6: Real-time luminance histogram from my application.

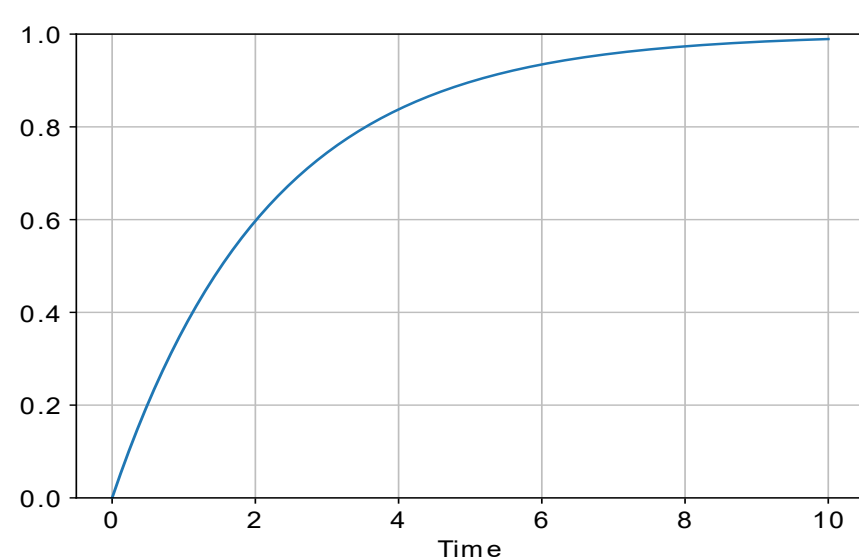


Figure 7: Graph of Exponential decay function.

Bloom

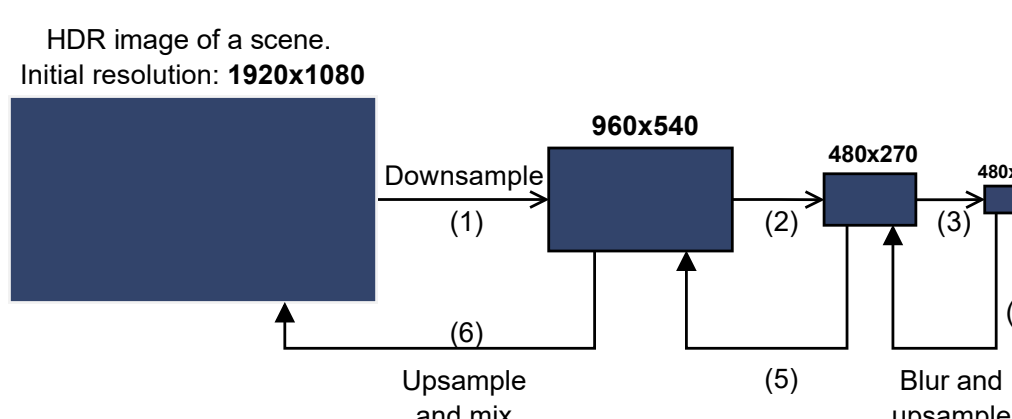


Figure 10: Scheme of Bloom effect algorithm.

1. Downsample using the right kernel:

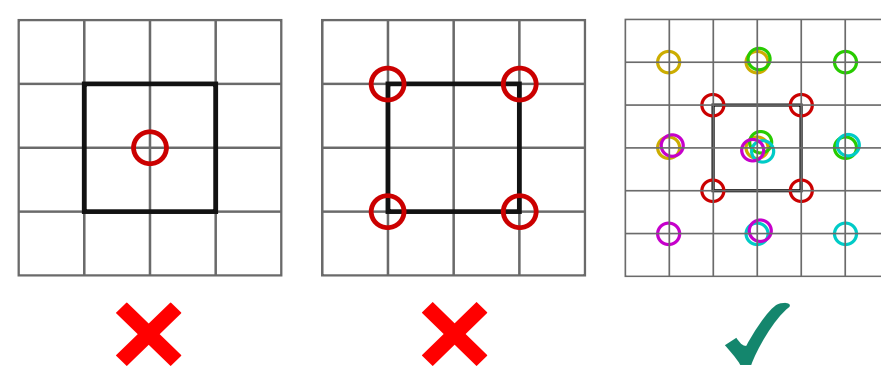


Figure 11: Worse vs. better method to downsample the image texture.

2. Upsample using the "tent" filter:

$$\frac{1}{16} \begin{bmatrix} 1 & 2 & 1 \\ 2 & 4 & 2 \\ 1 & 2 & 1 \end{bmatrix}$$

Figure 12: Upsampling kernel for the bloom effect.

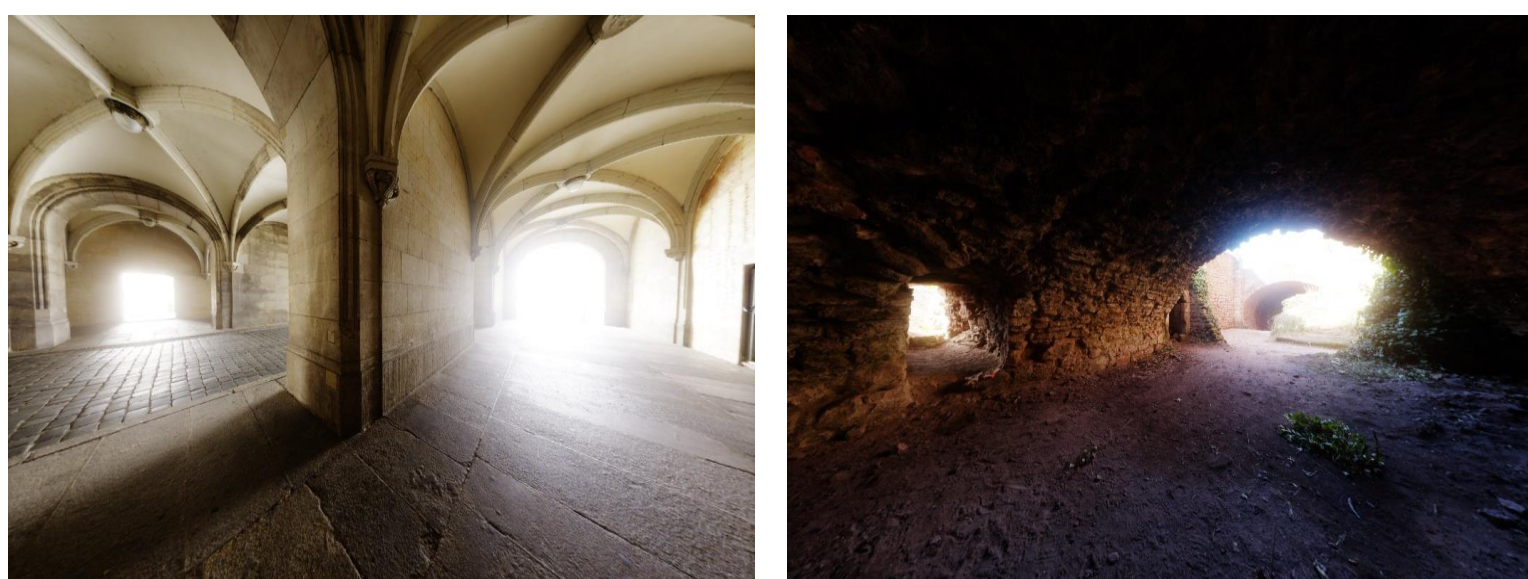


Figure 12: Results of Bloom effect implementation.

Operator uses Bilateral Filter (Durand and Dorsey 2002):

1. Compute Bilateral filter kernel coefficients:

$$B(x, y) = \exp\left(-\frac{x^2 + y^2}{2\sigma_d^2} - \frac{\|I_c - I(x, y)\|^2}{2\sigma_r^2}\right)$$

- I_c is pixel located at kernel center.
- $I(x, y)$ is value of the current pixel.
- σ_d is a spatial sigma, an inverse weight for the distance from pixel (x, y) to center.
- σ_r is a range sigma, an inverse weight for intensity difference between pixel $I(x, y)$ and I_c .

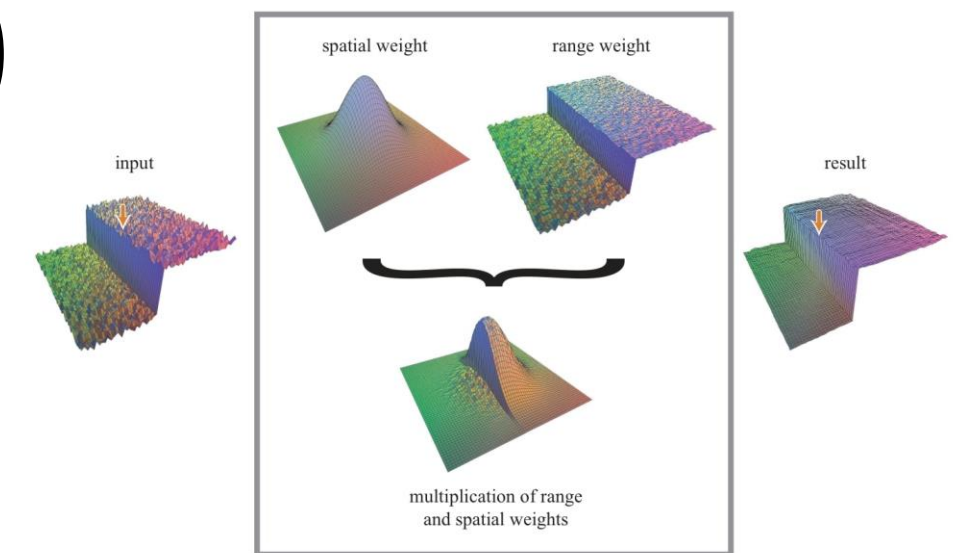


Figure 4: Bilateral Filter scheme. [1]

2. Normalize each coefficient:

$$B(x, y)^{norm} = \frac{B(x, y)}{\sum_{x, y} B(x, y)}$$



Figure 5: Results of Bilateral Filter local tone mapping. HDR input (left) vs. tone-mapped (right).

Exposure Fusion

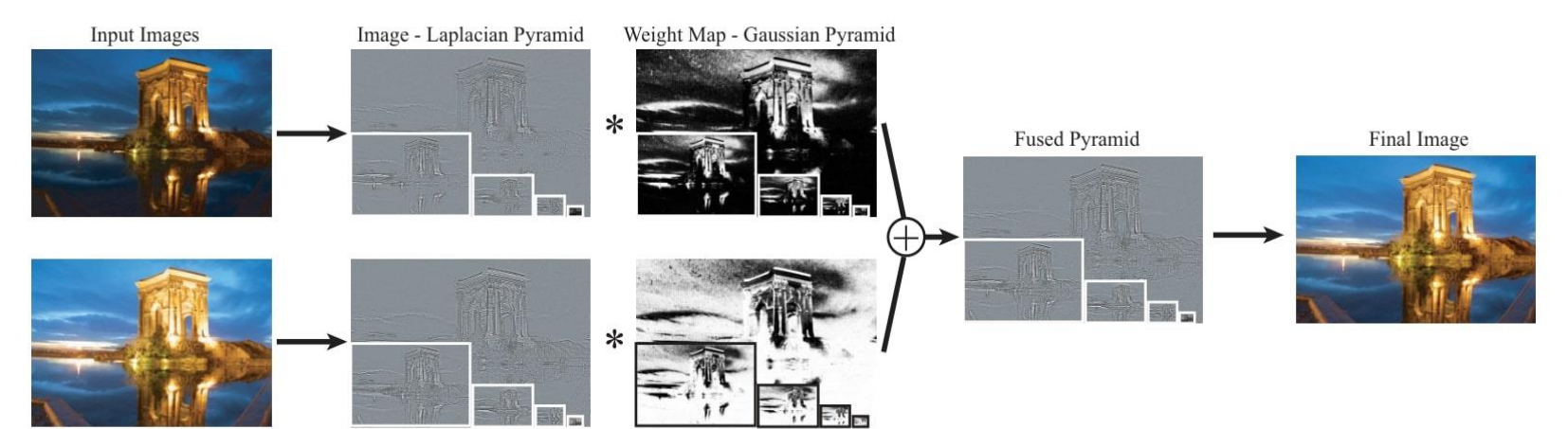


Figure 8: Scheme of Exposure Fusion technique. [2]

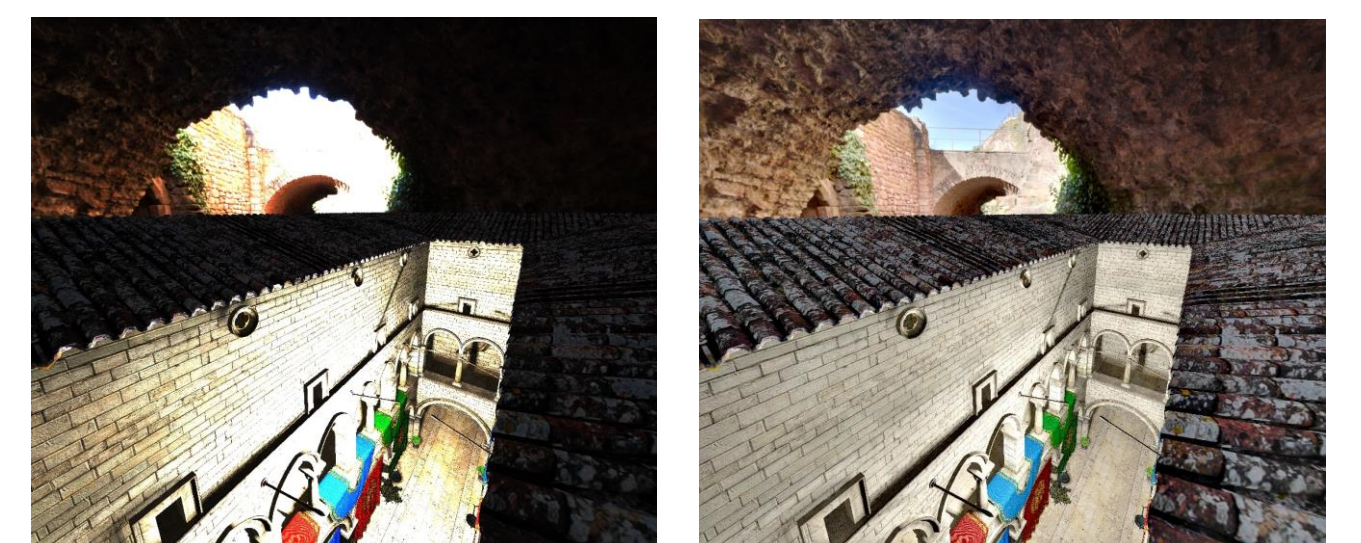


Figure 9: Results of Exposure Fusion technique. HDR input (left) vs. tone-mapped (right).

Demo Application (C++, ImGui)

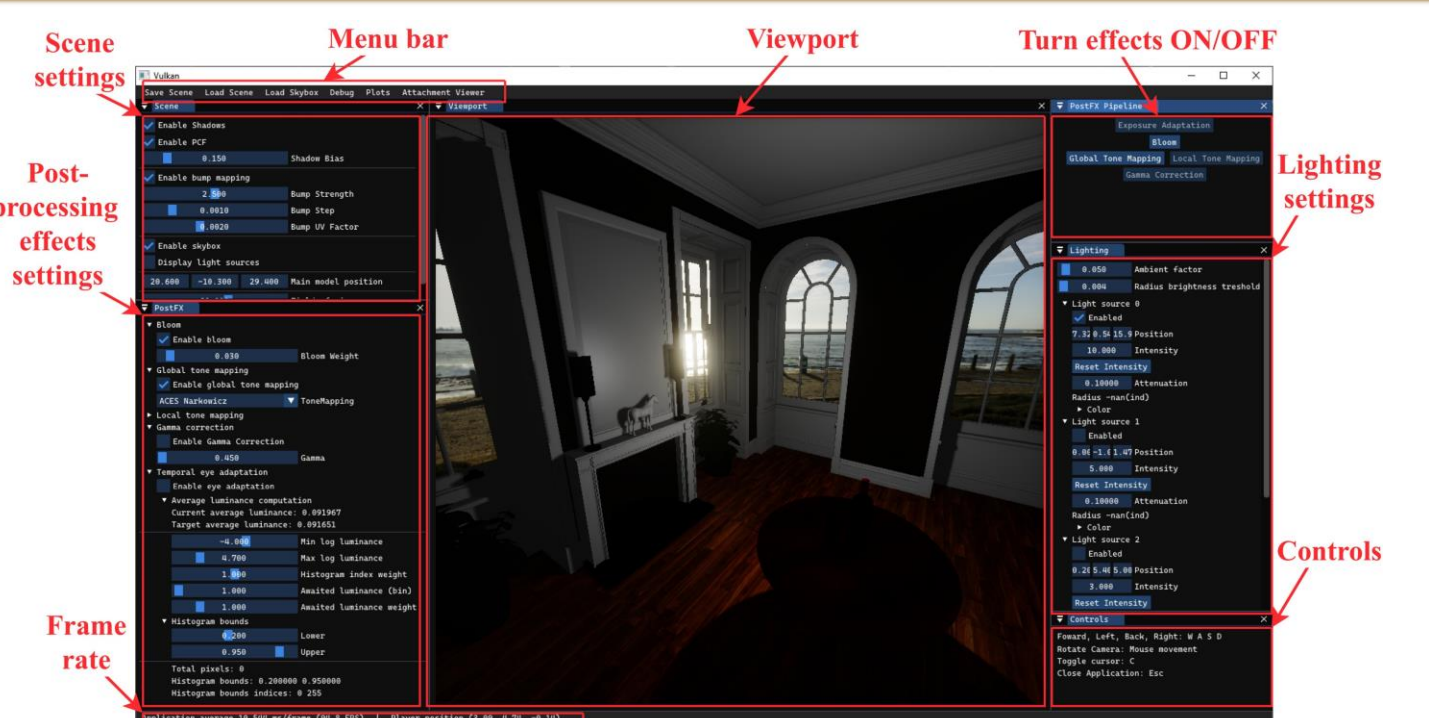


Figure 13: User Interface of my demo application.

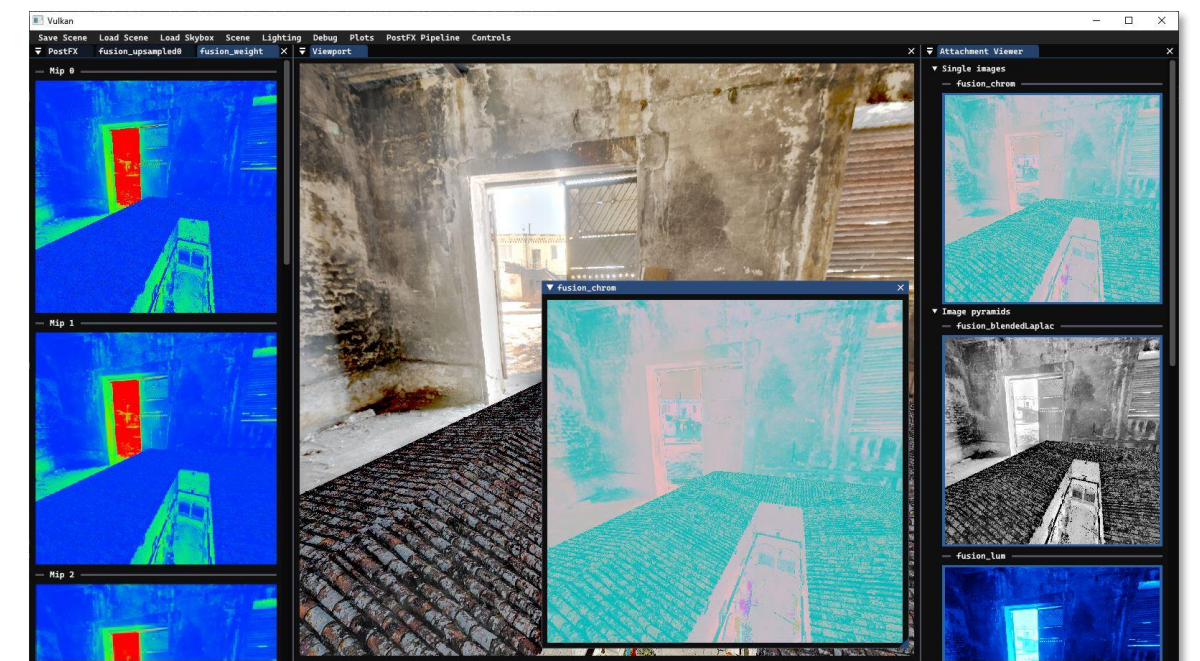


Figure 14: Texture viewer (for debugging and visualization).

References:

- [1] Mertens, T.; Kautz, J. and Van Reeth, F. Exposure Fusion. In: 15th Pacific Conference on Computer Graphics and Applications (PG'07). October 2007, p. 382–390. ISSN 1550-4085. ISSN: 1550-4085.
- [2] Paris, S. A gentle introduction to bilateral filtering and its applications. In: ACM SIGGRAPH 2007 courses. New York, NY, USA: Association for Computing Machinery, August 2007, p. 3–es. SIGGRAPH '07. ISBN 9781450318235. Available at: <https://doi.org/10.1145/1281500.1281604>.