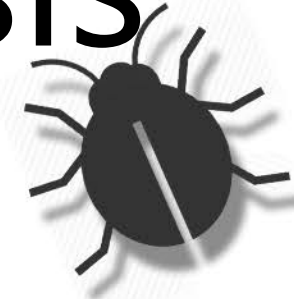




# Improving Precision of Program Analysis in the 2LS Framework



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## Motivation for This Work

2LS is a verification framework for analysing sequential C programs. Currently, is usable for analysis of numerical and dynamic variables. Verification is based on computing invariants of source program by utilizing an SMT solver.

Due to complexity of computed invariants it is hard to identify parts of the original program that cause undecidability of verification.

We propose a solution, to identify parts of the original programs that cause problems to the verifier by analysing computed loop invariants.

## Verification Example

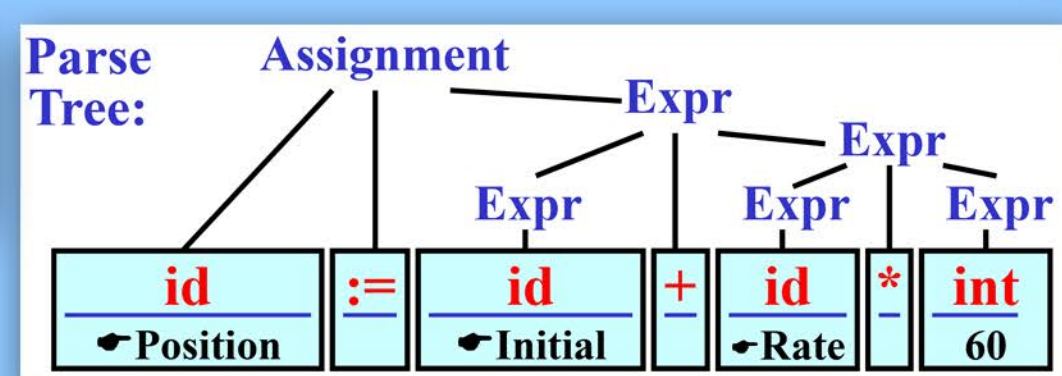
Program written in C.  
Consists of two variables, one uninitialized and a simple loop.

Verification is **inconclusive**,  
user-specified *assertion* is  
true only if variable *y* is zero.

```
1 void main()
2 {
3   int x = 0;
4   int y;
5
6   while (y)
7   {
8     x++;
9   }
10
11   assert(x == 0);
12 }
```

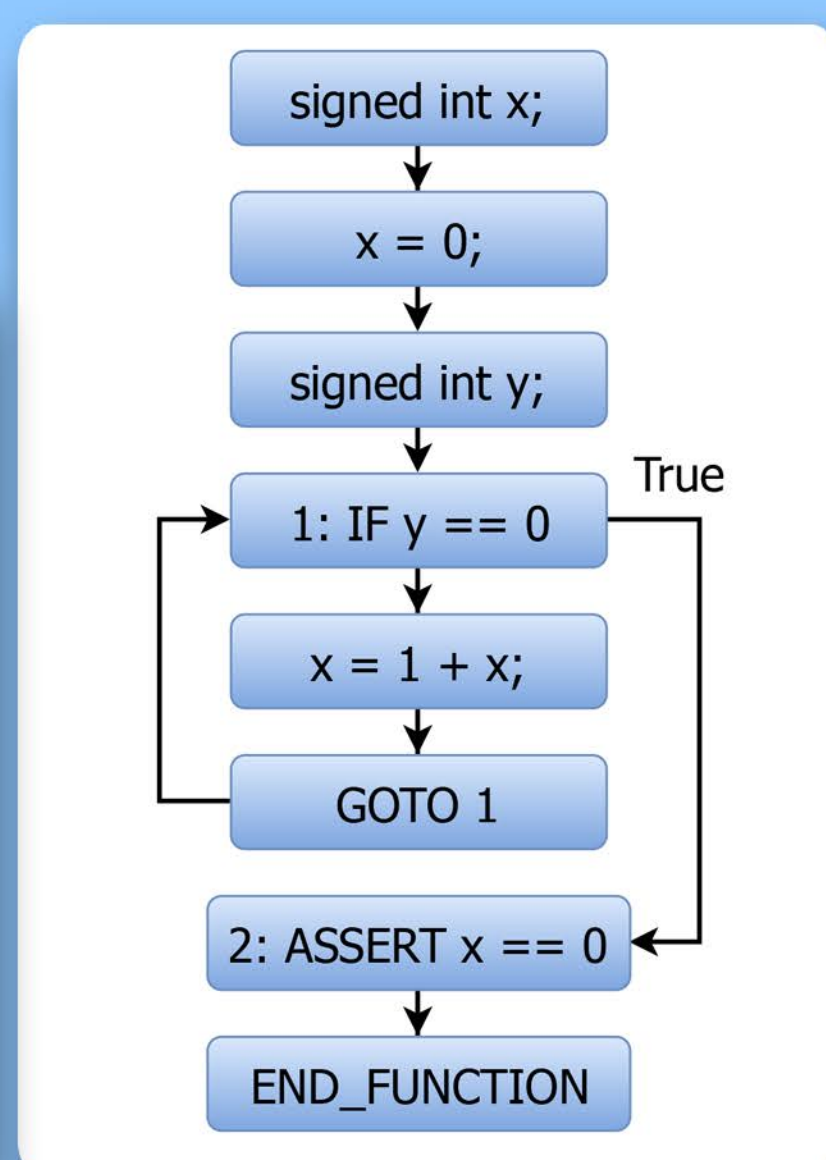
## 2LS Architecture

### C Parser

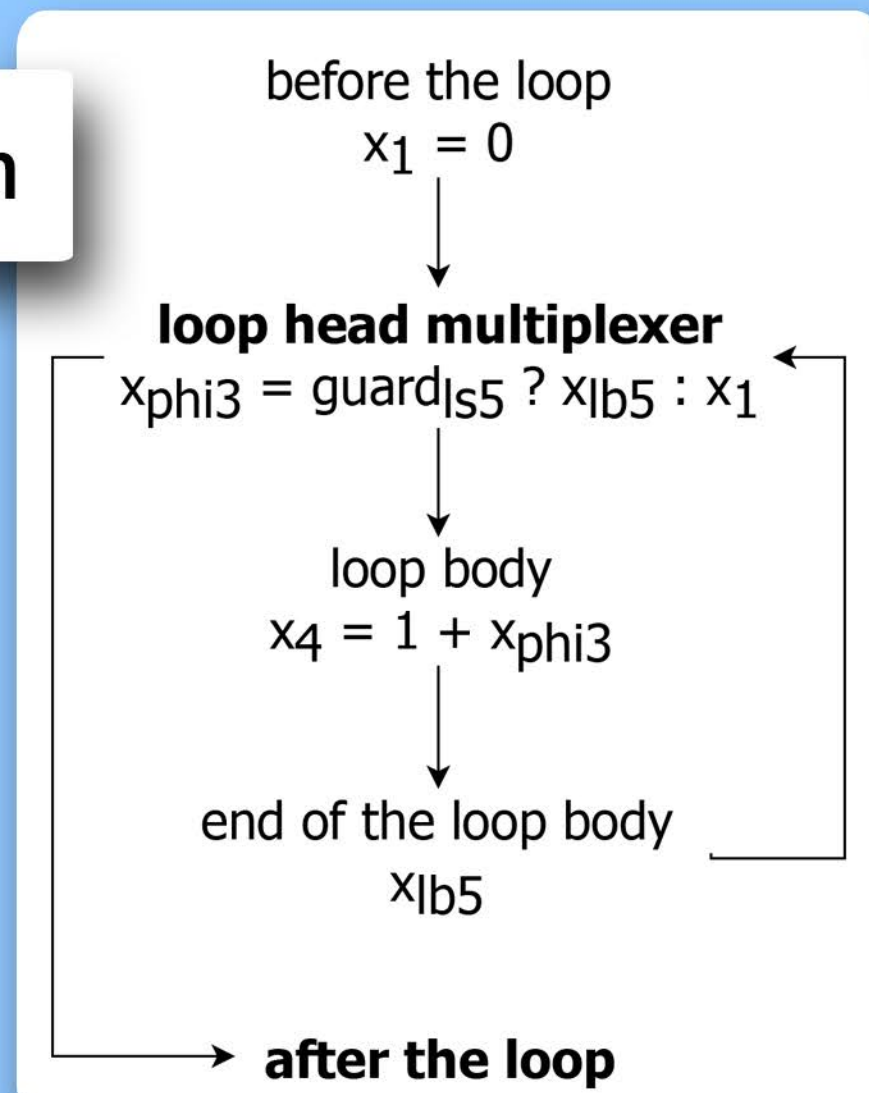


### GOTO Conversion

Intermediate program representation using GOTO programs, which are control flow graphs. Various transformations, such as function inlining or light-weight static analysis to resolve function pointers, resulting in a static call graph.



### SSA Form



Acyclic single static assignment form. Satisfies the property that each variable is assigned to only once. Cuts the loops at the end of the loop body and introduces free variables.

## Imprecise Variable Identification

So-called *inductive invariants* are computed in various *abstract domains* using *templates*. *Templates* reduce the invariant inference problem so it can be iteratively solved using *SMT solver*.

We are looking for template variables that have values representing the *top* value in their abstract domains.

*Numerical variables*: finite max. values of their types  
*Objects* (static and dynamic): non-deterministic set of addresses

### Invariant Generator

### SMT Solver

External solver, over CNF formula (translated SSA) using theory of bit-vectors.

### Interval domain

Analysis of numerical variables. Variable *x* and constant *d*:  
 $(x \leq d_1) \wedge (-x \leq d_2)$

### Octagon domain

...

### Heap domain

Analysis of objects on the heap, pointer *p*:  
 $p \rightarrow \boxed{obj_1} \mid \boxed{obj_2}$   
 $p = \&obj_1 \vee p = \&obj_2$

Generated Invariant:  
 $(x \leq 2147483647) \wedge (-x \leq 2147483648)$

Variables:  
1: x#1b5  
-----  
1: Imprecise value of variable "x" at the end of the loop, that starts at line 6

```
1 void main()
2 {
3   int x = 0;
4   int y;
5   assume(y == 0);
6
7   while (y)
8   {
9     x++;
10  }
11
12  assert(x == 0);
13 }
```

### Property Checker

Failed

Unknown

Success

[main.assertion.1] assertion x == 0: OK

\*\* 0 of 1 unknown  
\*\* 0 of 1 failed

VERIFICATION SUCCESSFUL