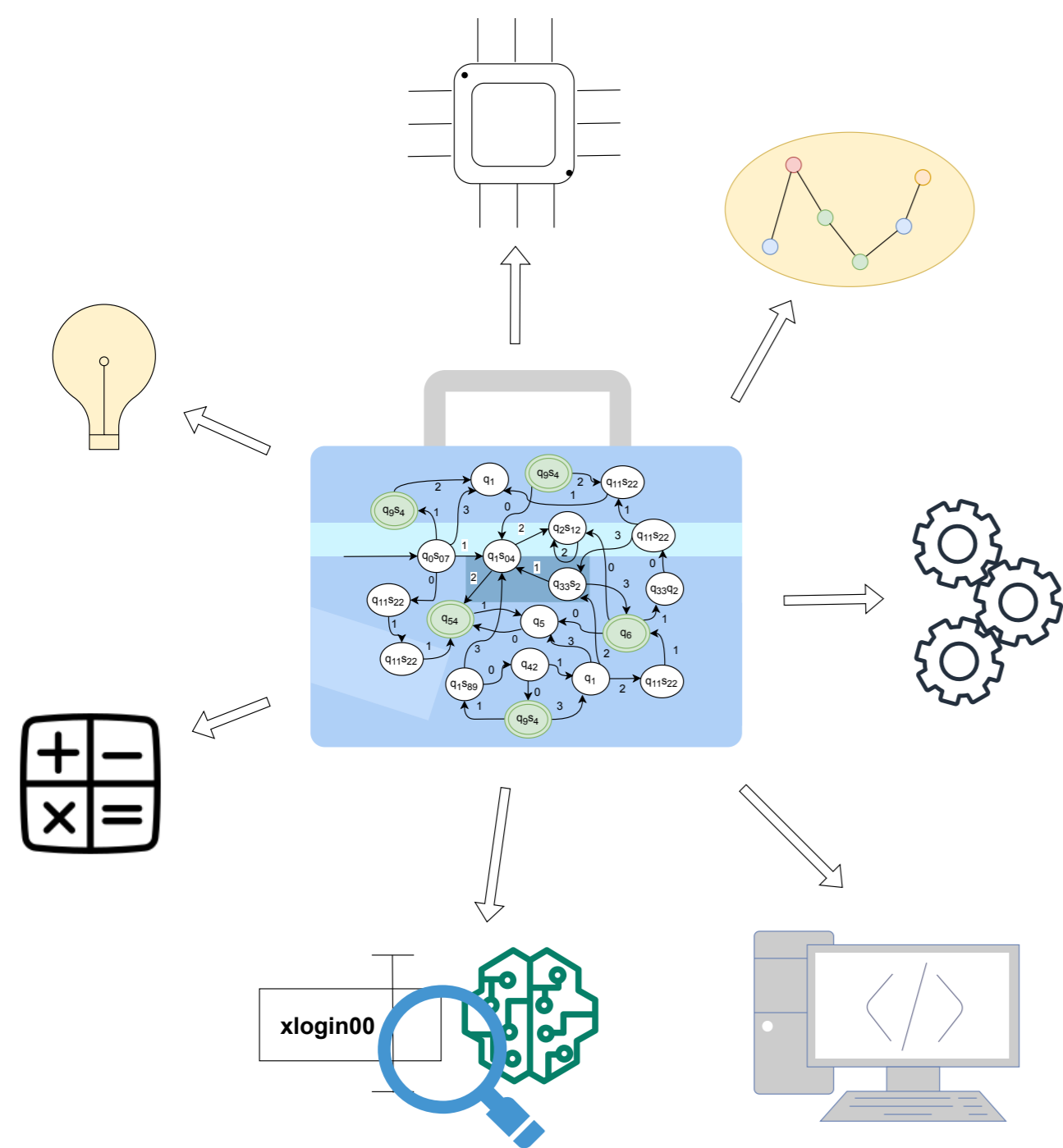


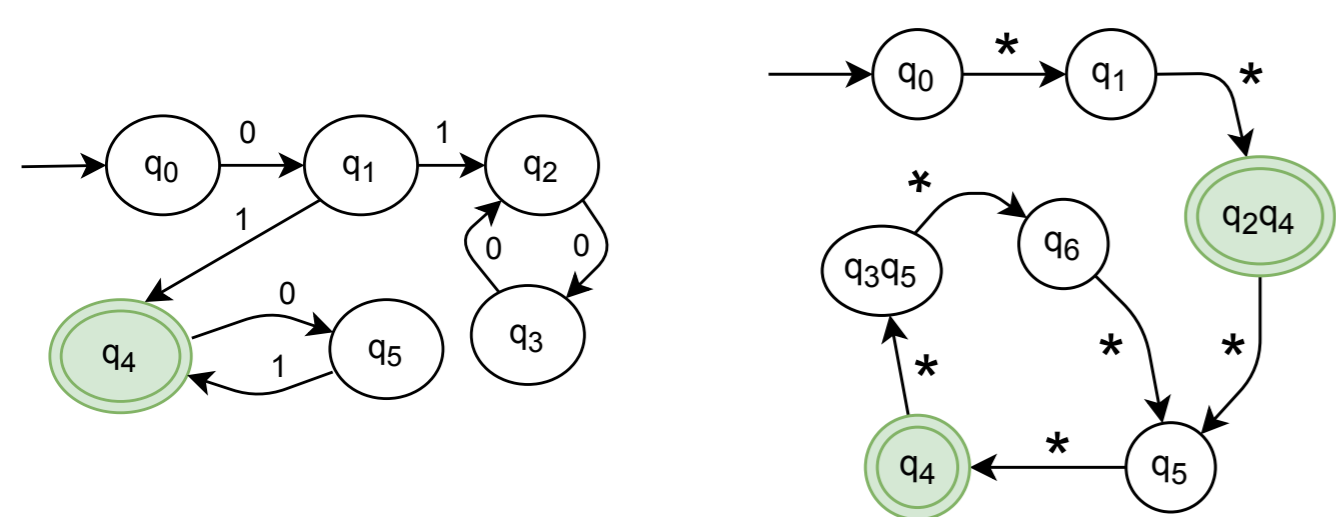
## Abstraction of State Languages in Automata Algorithms Abstrakce jazyků stavů v automatových algoritmech

Algoritmizace

Konečné automaty jako toolbox pro řešení problémů



Délková abstrakce:  
Laso automaty



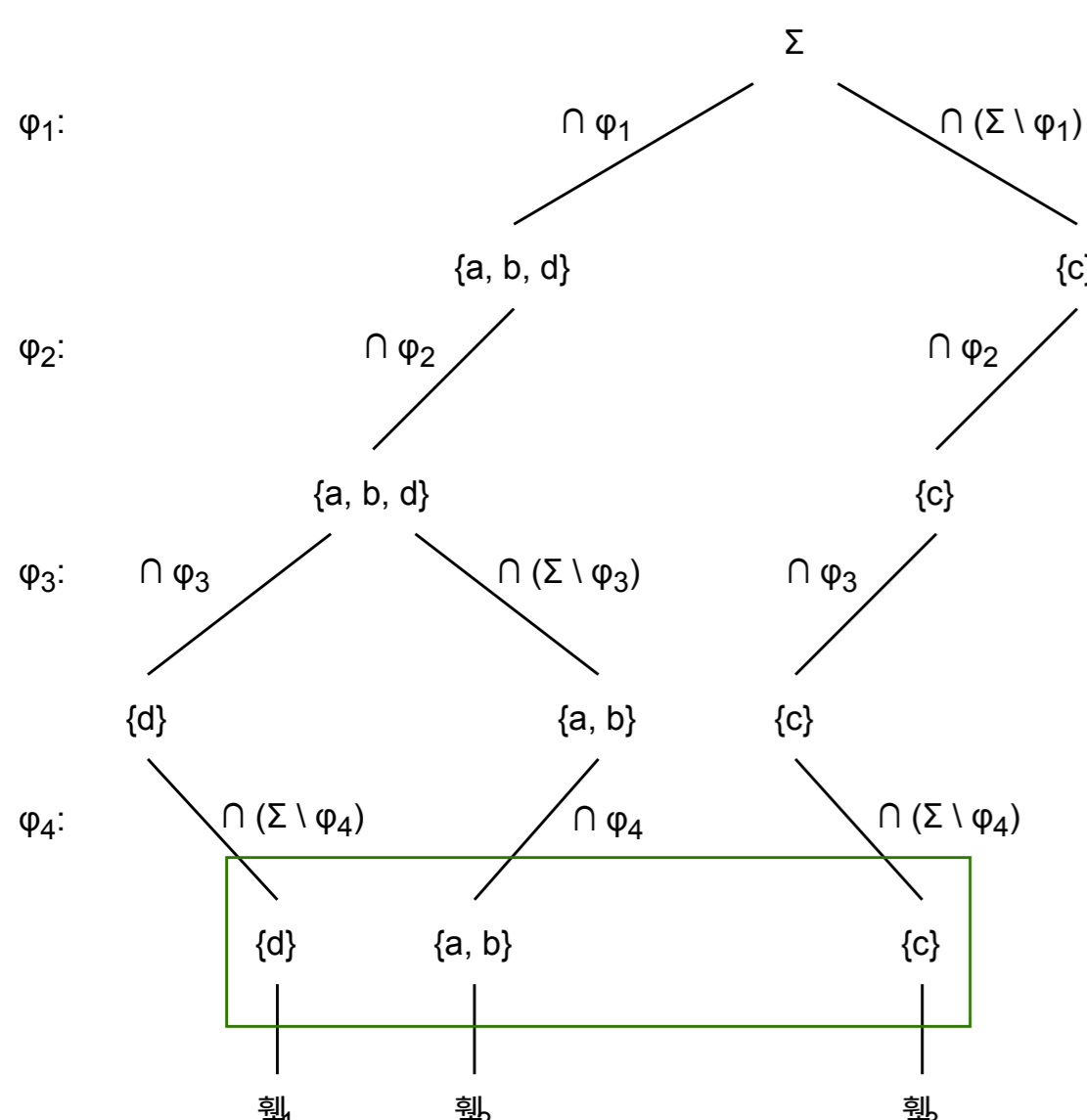
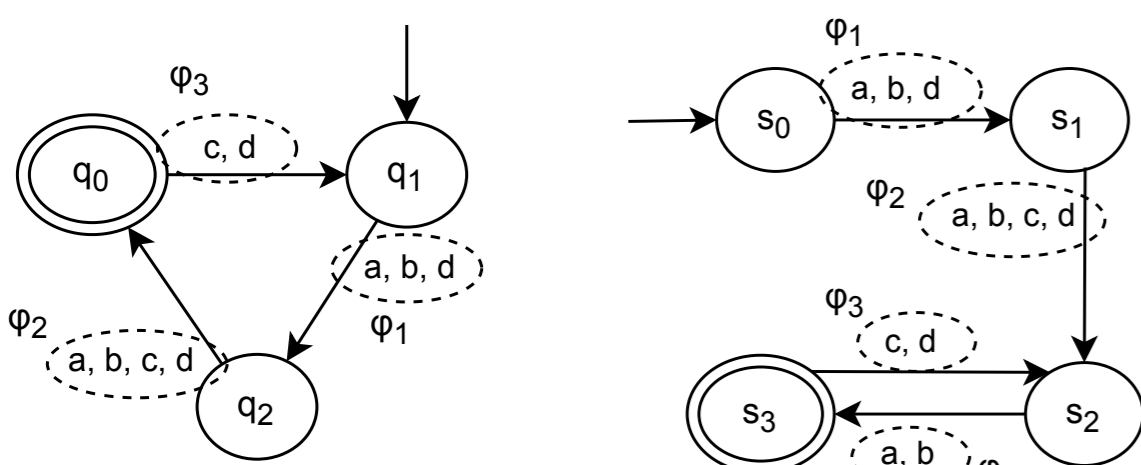
Parikovské obrazy:  
Formule pro stavy

$$u_q + \sum_{t \in \Delta_q^+} y_t - \sum_{t \in \Delta_q^-} y_t = 0$$

$$\alpha^{PI} : \exists u_{q_1}, \dots, u_{q_n}, z_{q_1}, \dots, z_{q_n}, y_1, \dots, y_m : \varphi$$

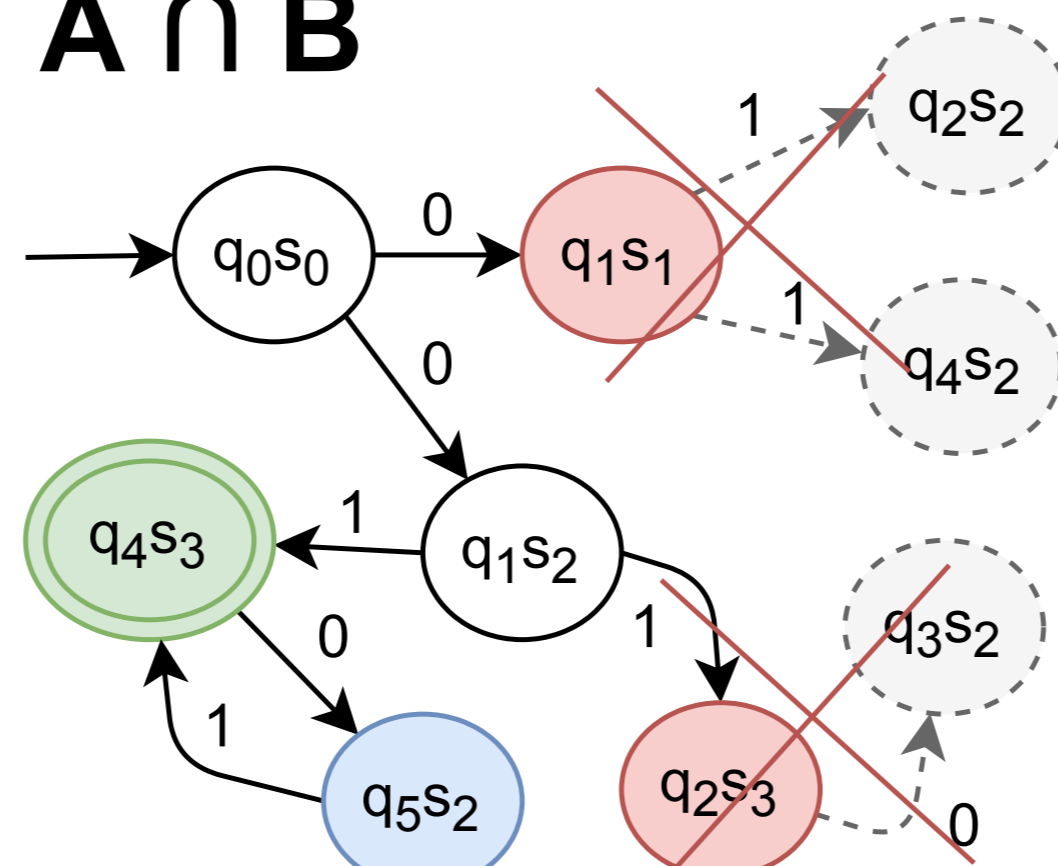
$$\alpha^{PI}(q_1) \wedge \alpha^{PI}(q_2) \text{ is sat}$$

Mintermizace



Optimalizace operací nad konečnými automaty

$A \cap B$

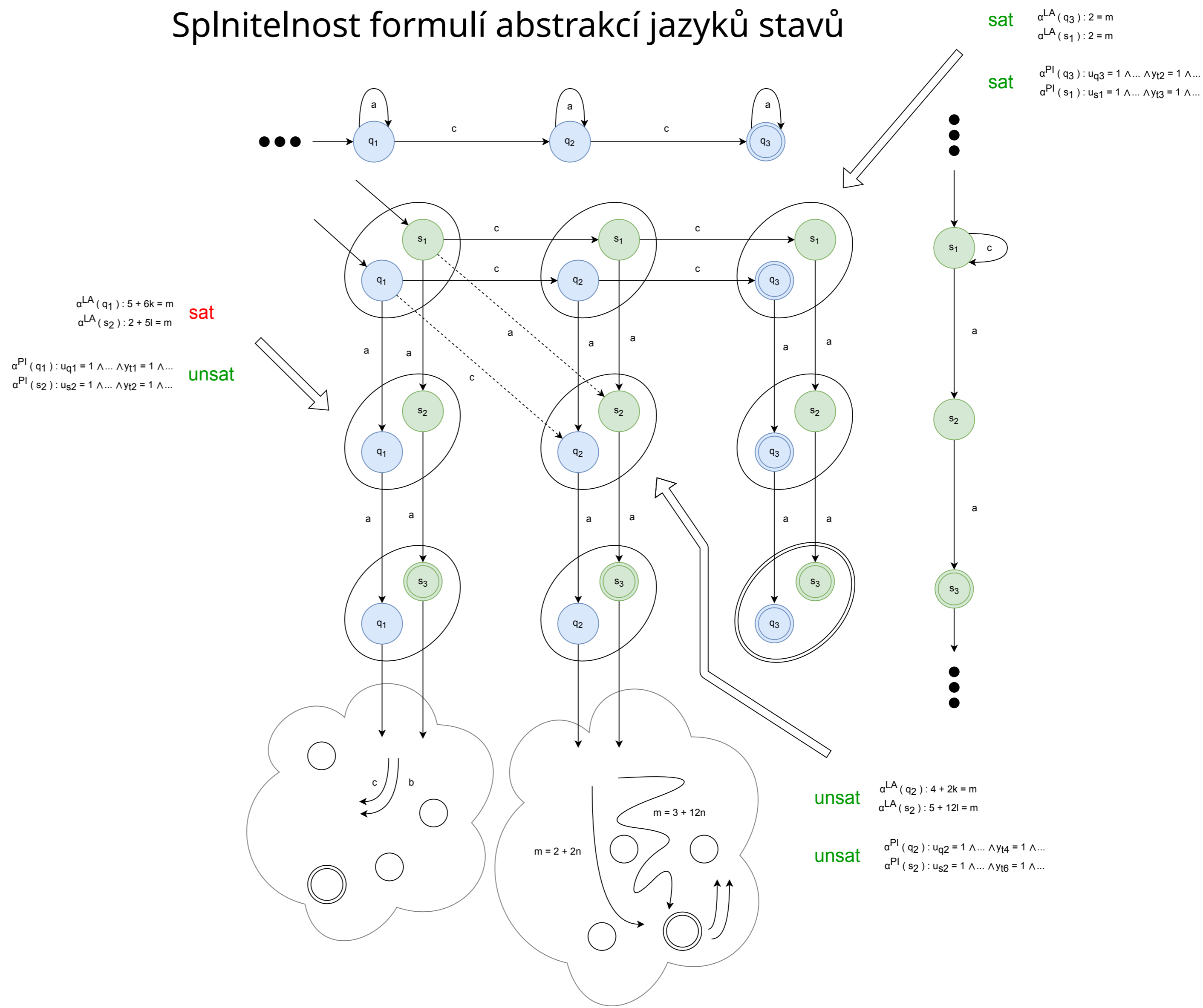


```

Input : NFA A1 = (Q1, Σ, δ1, I1, F1),
        NFA A2 = (Q2, Σ, δ2, I2, F2)
Output: NFA P = (A1 ∩ A2) = (Q, Σ, δ, I, F) with L(A1 ∩ A2) = L(A1) ∩ L(A2)

1 Q, δ, F ← ∅
2 I ← I1 × I2
3 W ← I
4 res ← False
5 solved ← ∅
6 addPersistentClauses()
7 while W ≠ ∅ do
8   picklast [q1, q2] from W
9   add [q1, q2] to solved
10  if not isSkippable([q1, q2]) then
11    if αLA(q1) ∧ αLA(q2) is unsat then
12      res ← False
13    else
14      smtSolverPush()
15      addStateSpecificClauses([q1, q2])
16      res ← αPI(q1) ∧ αPI(q2) is sat
17      smtSolverPop()
18      if res = Unknown then
19        res ← True
20  else
21    res ← True
22  if res = True then
23    add [q1, q2] to Q
24    if q1 ∈ F1 and q2 ∈ F2 then
25      add [q1, q2] to F
26  forall a ∈ Σ do
27    forall q1' ∈ δ1(q1, a), q2' ∈ δ2(q2, a) do
28      if [q1', q2'] ∈ solved and [q1', q2'] ∉ W then
29        add [q1', q2'] to W
30      add [q1', q2'] to δ([q1, q2], a)
    
```

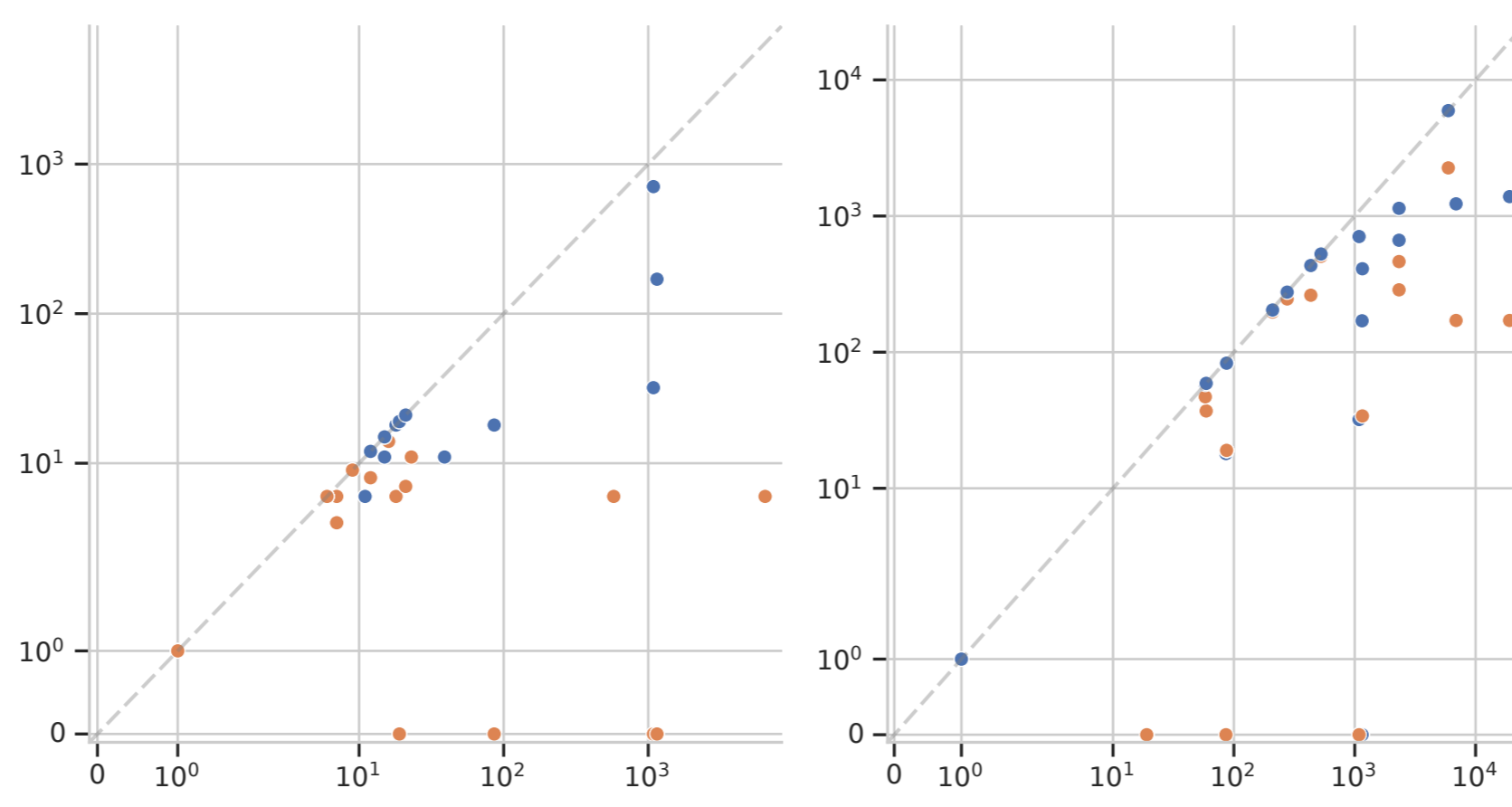
Splnitelnost formulí abstrakcí jazyků stavů



Experimentální vyhodnocení

Test prázdnoti

Celý produkt



SMT solver:  
Inkrementální SMT solving

